

Copyright © The McGraw-Hill Companies, Inc. Permission required for reproduction or display.

## Computing Layers



Problems
Algorithms
Language
Instruction Set Architecture

Devices

## Solving Problems using a Computer

- Methodologies for creating computer programs that perform a desired function.
- Problem Solving
- How do we figure out what to tell the computer to do?
- Convert problem statement into algorithm, using stepwise refinement.
- Convert algorithm into LC-3 machine instructions.
- Debugging
- How do we figure out why it didn' t work?
- Examine registers and memory, set breakpoints, etc.

Time spent on the first can reduce time spent on the second!

## Copyright © The McGraw-Hill Companies, Inc. Permission required for reproduction or display.

## Stepwise Refinement

- Also known as systematic decomposition.
- Start with problem statement:
"We wish to count the number of occurrences of a character in a file. The character in question is to be input from the keyboard; the result is to be displayed on the monitor."
- Decompose task into a few simpler subtasks.
- Decompose each subtask into smaller subtasks, and these into even smaller subtasks, etc.... until you get to the machine instruction level.


## Problem Statement

- Because problem statements are written in English, they are sometimes ambiguous and/or incomplete.
- Where is "file" located? How big is it, or how do I know when I' ve reached the end?
- How should final count be printed? A decimal number?
- If the character is a letter, should I count both upper-case and lower-case occurrences?
- How do you resolve these issues?
- Ask the person who wants the problem solved, or
- Make a decision and document it.


## Three Basic Constructs

- There are three basic ways to decompose a



## Sequential

- Do Subtask 1 to completion, then do Subtask 2 to completion, etc.




## Iterative

- Do Subtask over and over, as long as the test condition is true.



## Problem Solving Skills

- Learn to convert problem statement into step-by-step description of subtasks. Like a puzzle, or a "word problem" from grammar school math.
- What is the starting state of the system?
- What is the desired ending state?
- How do we move from one state to another?
- Recognize English words that correlate to three basic constructs:
- "do $A$ then do $B$ " $\Rightarrow$ sequential
- "if G , then do H " $\Rightarrow$ conditional
- "for each $X$, do $Y$ " $\Rightarrow$ iterative
- "do Z until W" $\Rightarrow$ iterative


## LC-3 Control Instructions

- How do we use LC-3 instructions to encode the three basic constructs?
- Sequential
- Instructions naturally flow from one to the next, so no special instruction needed to go from one sequential subtask to the next.


## - Conditional and literative

- Create code that converts condition into N, Z, or P. Example: "Is R0 = R1?"
Code: Subtract R1 from RO; if equal, $Z$ bit will be set.
- Use BR instruction to transfer control to proper subtask.


Assuming all addresses are close enough that PC-relative branch can be used.

## Code for Iteration



Assuming all addresses are on the same page.

## Example: Counting Characters



## Refining $B$





## The Last Step: LC-3 Instructions

- Use comments to separate into modules and to document your code.



## Debugging

- You' ve written your program and it doesn' t work.
- Now what?
- What do you do when you' re lost in a city?
- Drive around randomly and hope you find it?
$\checkmark$ Return to a known point and look at a map?
$\checkmark$ In debugging, the equivalent to looking at a map is tracing your program.
- Examine the sequence of instructions being executed.
- Keep track of results being produced.
- Compare result from instructions to the expected result.


## Debugging Operations

- Any debugger should provide means to:

1. Display values in memory and registers.
2. Deposit values in memory and registers.
3. Execute instruction sequence in a program.
4. Stop execution when desired.
5. Different programming levels offer different tools.

- High-level languages (C, Java, ...) usually have source-code debugging tools.
- For debugging at the machine instruction level:
- simulators
- operating system "monitor" tools
- in-circuit emulators (ICE)
- plug-in hardware replacements that give instruction-level control



## Types of Errors

## - Syntax Errors

- You made a typing error that resulted in an illegal operation.
- Not usually an issue with machine language, because almost any bit pattern corresponds to a legal instruction.
- In high-level languages, these are often caught during the translation from language to machine code.
- Logic Errors
- Your program is legal, but wrong, so the results don' t match the problem statement.
- Trace the program to see what's really happening and determine how to get the proper behavior.
- Data Errors
- Input data is different than what you expected.
- Test the program with a wide variety of inputs.


## Tracing the Program

- Execute the program one piece at a time, examining register and memory to see results at each step.
- Single-Stepping
- Execute one instruction at a time.
- Tedious, but useful to help you verify each step of your program.
- Breakpoints
- Tell the simulator to stop executing when it reaches a specific instruction.
- Check overall results at specific points in the program.
- Quickly execute sequences to get an overview of the behavior.
- Quickly execute sequences that your believe are correct.
- Watchpoints
- Tell the simulator to stop when a register or memory location changes or when it equals a specific value.
- Useful when you don't know where or when a value is changed.


## Example 1: Multiply

This program is supposed to multiply the two unsigned integers in R4 and R5.


$$
\begin{array}{ll}
\text { x } 3200 & 0101010010100000 \\
\text { x3201 } & 0001010010000100 \\
\text { x3202 } & 0001101101111111 \\
\text { x3203 } & 0000011111111101 \\
\text { x3204 } & 1111000000100101 \\
\hline
\end{array}
$$

Set R4 = 10, R5 =3.
Run program.
Result: R2 = 40, not 30

| PC and registers at the beginning of each instruction | Copyright © The McGraw-Hill Companies, Inc. Permission required for reproduction or display. <br> gging the Multiply Pro |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $P C$ <br> $\times 3200$ <br> $\times 3201$ | R2 <br> - <br> 0 | R4 <br> 10 <br> 10 | R5 <br> 3 <br> 3 | Single-stepping <br> Breakpoint at branch (x3203) |  |  |  |
|  | x3202 | 10 | 10 | 3 | PC | R2 | R4 | R5 |
|  | x3203 | 10 | 10 | 2 | $\times 3203$ | 10 | 10 | 2 |
|  | x3201 | 10 | 10 | 2 | x3203 | 20 | 10 | 1 |
|  | x3202 | 20 | 10 | 2 | x32034 | 30 | 10 | 0 |
|  | x3203 | 20 | 10 | 1 | $\times 3203$ | 40 | 10 | -1 |
|  | x3201 | 20 | 10 | 1 |  | 40 | 10 | -1 |
|  | x3202 | 30 | 10 | 1 | $\longleftarrow$ Should stop looping here! <br> Executing loop one time too many. Branch at x3203 should be based on $Z$ bit only, not $Z$ and $P$. |  |  |  |
|  | x3203 | 30 | 10 | 0 |  |  |  |  |
|  | x 3201 | 30 | 10 | 0 |  |  |  |  |
|  | x3202 | 40 | 10 | 0 |  |  |  |  |
|  | x3203 | 40 | 10 | -1 |  |  |  |  |
|  | x3204 | 40 | 10 | -1 |  |  |  |  |
|  |  |  |  |  |  |  |  |  |

## Example 2: Sum an Array of Numbers

- This program is supposed to sum the numbers stored in 10 locations beginning with $x 3100$, leaving the result in R1.


$$
\begin{array}{ll}
x 3000 & 0101001001100000 \\
x 3001 & 0101100100100000 \\
x 3002 & 0001100100101010 \\
x 3003 & 0010010011111100 \\
x 3004 & 0110011010000000 \\
x 3005 & 0001010010100001 \\
\text { x3006 } & 0001001001000011 \\
\text { x3007 } & 0001100100111111 \\
\text { x3008 } & 0000001111111011 \\
x 3009 & 1111000000100101 \\
\hline
\end{array}
$$

## Debugging the Summing Program

- Running the the data below yields $\mathrm{R} 1=\times 0024$, but the sum should be $\times 8135$. What happened?

| Address | Contents |
| :---: | :---: |
| x3100 | x3107 |
| x3101 | x2819 |
| x3102 | x0110 |
| x3103 | x0310 |
| x3104 | x0110 |
| x3105 | x1110 |
| x3106 | x11B1 |
| x3107 | x0019 |
| x3108 | x0007 |
| x3109 | x0004 |

Start single-stepping program...

| PC | R1 | R2 | R4 |  |
| :---: | ---: | ---: | ---: | :---: |
| $\times 3000$ | -- | -- | -- |  |
| x3001 | 0 | -- | -- |  |
| $\times 3002$ | 0 | -- | 0 |  |
| $\times 3003$ | 0 | -- | 10 |  |
| $\times 3004$ | 0 | $x 3107$ | 10 |  |
| Should be $\times 3100$ ! |  |  |  |  |

Loading contents of $\mathrm{M}[\mathrm{x} 3100]$, not address. Change opcode of x3003
from 0010 (LD) to 1110 (LEA).

## Example 3: Looking for a 5

- This program is supposed to set $R 0=1$ if there's a 5 in one of ten memory locations, starting at x3100 - Else, it should set RO to 0 .


| x3000 | 0101000000100000 |
| :--- | :--- |
| x3001 | 0001000000100001 |
| x3002 | 0101001001100000 |
| x3003 | 0001001001111011 |
| x3004 | 0101011011100000 |
| x3005 | 0001011011101010 |
| x3006 | 0010100000001001 |
| x3007 | 0110010100000000 |
| x3008 | 0001010010000001 |
| x3009 | 000001000000101 |
| x300A | 0001100100100001 |
| x300B | 0001011011111111 |
| x300C | 0110010100000000 |
| x300D | 0000001111111010 |
| x300E | 010100000100000 |
| x300F | 1111000000100101 |
| x3010 | 0011000100000000 |

## Debugging the Fives Program

- Running the program with a 5 in location x3108 results in $\mathrm{RO}=0$, not $\mathrm{RO}=1$. What happened?

| Addres <br> $\boldsymbol{s}$ | Content <br> $\boldsymbol{s}$ |
| :---: | :---: |
| $x 3100$ | 9 |
| $x 3101$ | 7 |
| x3102 | 32 |
| x3103 | 0 |
| x3104 | -8 |
| x3105 | 19 |
| x3106 | 6 |
| x3107 | 13 |
| $x 3108$ | 5 |

Perhaps we didn't look at all the data? Put a breakpoint at $x 300 \mathrm{D}$ to see how many times we branch back.

| PC | R0 | R2 | R3 | R4 |
| :---: | ---: | ---: | ---: | :---: |
| x300D | 1 | 7 | 9 | $x 3101$ |
| x300D | 1 | 32 | 8 | $x 3102$ |
| x300D | 1 | 0 | 7 | $x 3103$ |
|  | 0 | 0 | 7 | $x 3103$ |

Didn' t branch
back, even though R3 > 0?
Branch uses condition code set by loading R2 with M[R4], not by decrementing R3. Swap $\times 300 B$ and $\times 300 \mathrm{C}$, or remove $\times 300 \mathrm{C}$ and branch back to $x 3007$.
cS270 - Fall 2013 - Colorado State University

## Example 4: Finding First 1 in a Word

- This program is supposed to return (in R1) the bit position of the first 1 in a word. The address of the word is in location x3009 (just past the end of the program). If there are no ones, R1 should be set to -1 .


```
x3000 0101001001100000
x3001 0001001001101111
x3002 1010010000000110
x3003 0000100000000100
x3004 0001001001111111
x3005 0001010010000010
x3006 0000100000000001
x3007 00001111111111100
x3008 1111000000100101
x3009 0011000100000000
```


## Debugging the First-One Program

- Program works most of the time, but if data is zero, it never seems to HALT.

| PC | R 1 |
| :---: | ---: |
| x 3007 | 14 |
| x 3007 | 13 |
| x3007 | 12 |
| x3007 | 11 |
| x3007 | 10 |
| x3007 | 9 |
| x3007 | 8 |
| x3007 | 7 |
| $x 3007$ | 6 |
| $x 3007$ | 5 |


| PC | R 1 |
| :---: | ---: |
| x3007 | 4 |
| x3007 | 3 |
| x3007 | 2 |
| x3007 | 1 |
| x3007 | 0 |
| x3007 | -1 |
| x3007 | -2 |
| x3007 | -3 |
| $x 3007$ | -4 |
| $x 3007$ | -5 |

Breakpoint at backwards branch (x3007)
If no ones, then branch to HALT never occurs!
This is called an "infinite loop." Must change algorithm to either
(a) check for special case (R2=0), or
(b) exit loop if R1 < 0 .

## Debugging: Lessons Learned

- Trace program to see what's going on.
- Breakpoints, single-stepping
- When tracing, make sure to notice what's really happening, not what you think should happen.
- In summing program, it would be easy to not notice that address $\times 3107$ was loaded instead of $\times 3100$.
- Test your program using a variety of input data.
- In Examples 3 and 4, the program works for many (but not all) data sets.
- Be sure to test extreme cases (all ones, no ones, ...).

